



Heath Mount School Calculation Policy 2023



This policy supports Herts For Learning, Essential Maths, PA Plus and White Rose maths scheme which are used throughout the school up to Year 6. Progression within each area of calculation is in line with the programme of study in the updated 2021 National Curriculum.

This calculation policy should be used to support children to develop a deep understanding of number and calculation. This policy has been designed to teach children through the use of concrete, pictorial and abstract representations.

- Concrete representation— a pupil is first introduced to an idea or skill by acting it out with real objects. This is a 'hands on' component using real objects and is a foundation for conceptual understanding.
- Pictorial representation a pupil has sufficiently understood the 'hands on' experiences performed and can now relate them to representations, such as a diagram or picture of the problem.
- Abstract representation—a pupil is now capable of representing problems by using mathematical notation, for example 12 x 2 = 24. It is important that conceptual understanding, supported by the use of representation, is secure for all procedures. Reinforcement is achieved by going back and forth between these representations.

Mathematics Mastery

This approach to the teaching of mathematics is the belief that all children have the potential to succeed. They should have access to the same curriculum content and, rather than being extended with new learning, they should deepen their conceptual understanding by tackling challenging and varied problems. Similarly, with calculation strategies, children must not simply rote learn procedures but demonstrate their understanding of these procedures through the use of concrete materials and pictorial representations. This policy outlines the different calculation strategies that should be taught and used in Years 1 to Year 6 and the skills continued to be applied in Years 7 and 8.

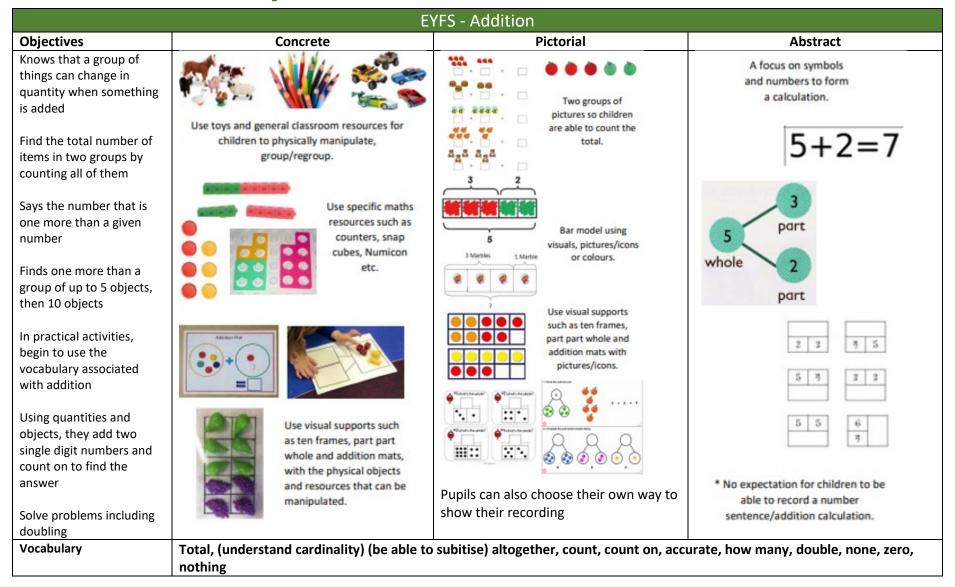
Using this Policy

This mathematics policy is a guide for all staff at Heath Mount School. All teachers have been given long term and medium term plans that are supported by the daily lesson plans for the White Rose Maths Hub (Yr3-6) and Herts for Learning PAPlus and Essential Maths (EYFS-Yr2). Teachers are able to use their professional judgement, adapting methods and teaching style, while incorporating the CPA approach, in order to gain efficient and reliable calculation methods based on the ability and needs of pupils in their class. Subsequently, pupils are able to use methods outside of this policy provided they are using clear, follow able methodology reliably and efficiently. For each of the four rules of number, different strategies are laid out, together with examples of what concrete materials can be used and how, along with suggested pictorial representations. The principle of the concrete-pictorial-abstract (CPA) approach (Make it, Draw it, Write it) is for children to have a true understanding of a mathematical concept, they need to master all three phases within a year group's scheme of work.



Addition

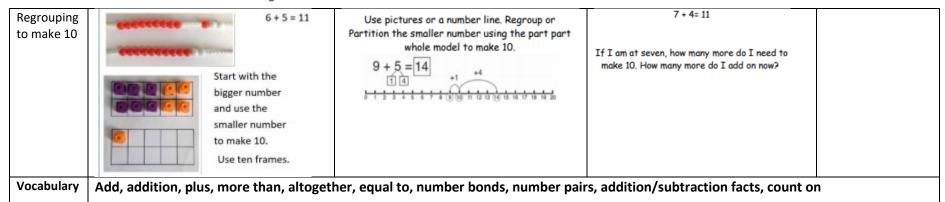






| | Year 1- Addition | | | | | |
|---|--|---|---|---|--|--|
| Objectives | Concrete | Pictorial | Abstract | | | |
| Combine two-parts to make a whole (use part- whole model) | 7 7 4 3 | The Bar Model will be continued from EYFS as a method to support problem solving involving addition, continuing with the concrete representations and moving onto using pictorial representations of objects. Some children will also move onto the abstract. | Use the part-part whole diagram as shown above to move into the abstract. 4 + 3 = 7 7 = 4 + 3 | When adding numbers to 10, children can explore both aggregation and augmentation. The part-whole model, discrete and continuous bar model, number shapes and ten frame support aggregation. | | |
| Represent and use number bonds and related subtraction facts within 20 | (Some children may need to initially use real objects then move onto the representation, egg boxes may also be used to support this) | 1 2 3 4 5 6 7 8 9 10 6+4=10 10-4=6 10-6=4 Part Whole Model | 6 + 4 = 10 4 + 6 = 10 10 - 4 = 6 10 - 6 = 4 Bar Model Bar model and part-whole model to be used alongside abstract | The combination bar model, ten frame, bead string and number track all support augmentation. | | |
| Addition of 1-digit and 2-digit numbers to 20 | Start with the larger number and count on | 6+3=9 | 6 + 11 = 17 17 = 11 + 6 Place the larger number in your head and count on the smaller number to find your answer. | | | |

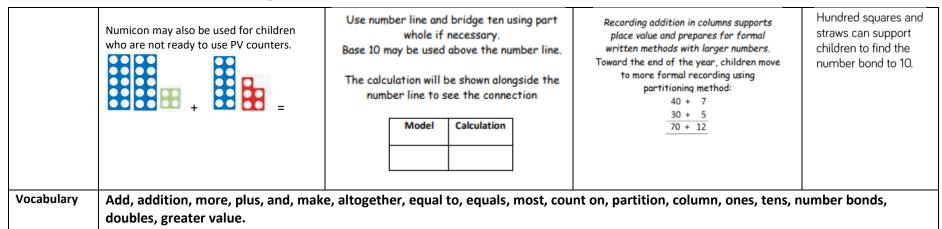






| | | Year 2 - Addition | | |
|--|---|--|---|--|
| Objectives | Concrete | Pictorial | Abstract | |
| Adding 3 1- digit numbers | 4+7+6=17 Put 4 and 6 together to make 10. Add on 7. Following on from making 10 with 2 of the digits, then add on the third digit. | Add together three groups of objects. Draw a picture to recombine the groups to make 10. | $\begin{array}{c} 4+7+6=\boxed{10}+\boxed{7} \\ \hline 10 \\ =\boxed{17} \end{array}$ Combine the two numbers that make 10 and then add on the remainder. | When adding one- digit numbers that cross 10, it is important to highlight the importance of ten ones equalling one ten. |
| Adding a single digit to a 2-digit number | Use ten frame to make 'magic ten Children explore the pattern. 17 + 5 = 22 27 + 5 = 32 | Use party part whole and number line to model. 17 + 5 = 22 3 2 16 + 7 20 16 20 23 Bar Model | 17 + 5 = 22 Explore related facts 17 + 5 = 22 5 + 17 = 22 22 | Different manipulatives can be used to represent this exchange. Use concrete resources alongside number lines to support children in understanding how to partition their jumps. |
| Adding a 2- digit number to multiples of 10 | 25 + 10 = 35 Explore that the ones digit does not change | 27 + 30 +10 +10 +10 27 37 47 57 Base 10 may be used above the number line initially. The calculation will be shown alongside the number line to see the connection | 27 + 10 = 37 27 + 20 = 47 27 + = 57 Can children see and work out the pattern? | When adding three 1-digit numbers, children should be encouraged to look for number bonds to 10 or doubles to add the numbers more efficiently. |
| Adding 2- digit numbers (no- regrouping) | Add together the ones first, then the tens. Use the base blocks first before moving onto PV counters. | After practically using the base 10 blocks and place value counters, children can draw the counters to help them to solve additions. T O -5 Or +20 +3 +2 47 67 72 47 67 70 72 | Partitioning: 25 + 47 20 + 5 40 + 7 20 + 40 = 60 5 + 7 = 12 60 + 12 = 72 | They should also apply their knowledge of number bonds to add more efficiently e.g. 8 + 5 = 13 so 38 + 5 = 43. |

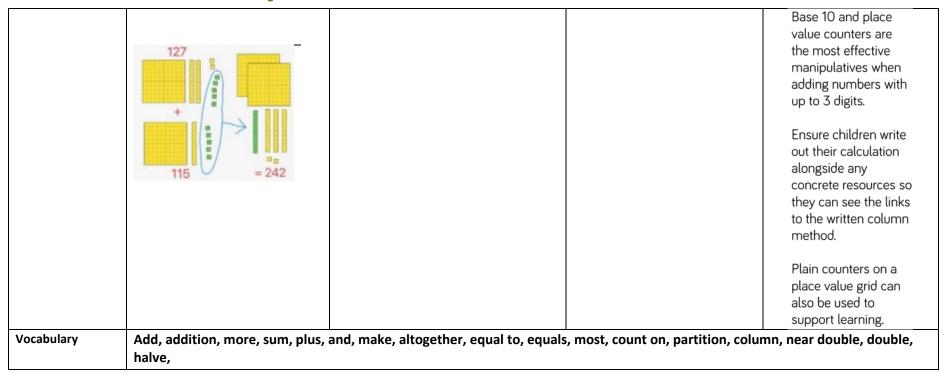




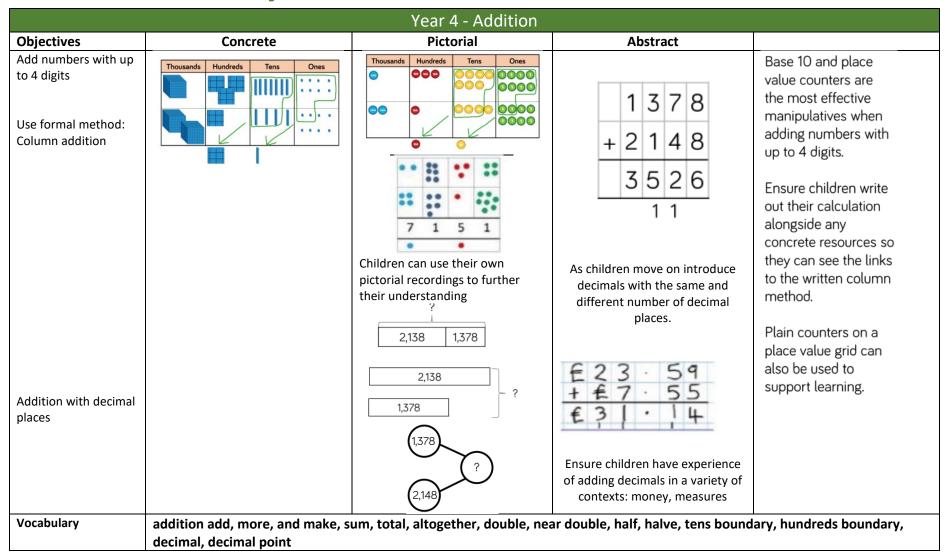


| | | Year 3 - Addition | | |
|---|--|---|--|---|
| Objectives | Concrete | Pictorial | Abstract | |
| Add numbers with up to 3 digits Column Addition (no re-grouping) | Using manipulatives (dienes, numicon, counters), children are to line up hundreds, tens and ones. Children should be secure with using PV counters before moving onto pictorial. The calculation will be shown alongside the model used to see the connection Model Calculation | Children are to draw, in a PV frame, the manipulatives, that they are using. Secure knowledge of representation with the PV columns. The calculation will be shown alongside the model to see the connection Model Calculation | 2 2 3 + 1 1 4 3 3 7 Children to move onto recording more formally. Some children may need to use the expanded method (see below). | At this stage, encourage children to use the formal column method when calculating alongside straws, base 10 or place value counters. As numbers become larger, straws become less efficient. Children can also use a blank number line to count on to find the total. Encourage them to jump to multiples of 10 to become more efficient. |
| Column Addition (re-grouping) | Hundreds Tens Communication of the communication of | Children can draw a representation of the grid to further support their understanding, carrying the ten underneath the line. | $\begin{array}{r} 20 & + & 5 \\ \underline{40 \ + \ 8} \\ 60 & + & 13 \end{array} = 73 \\ \\ Children are to begin with the abstract: expanded form. \\ For those children, that are confident after AFL, the below method should be used. \\ \\ \underline{536} \\ \underline{+ \ 85} \\ \underline{621} \\ 11 \end{array}$ | |













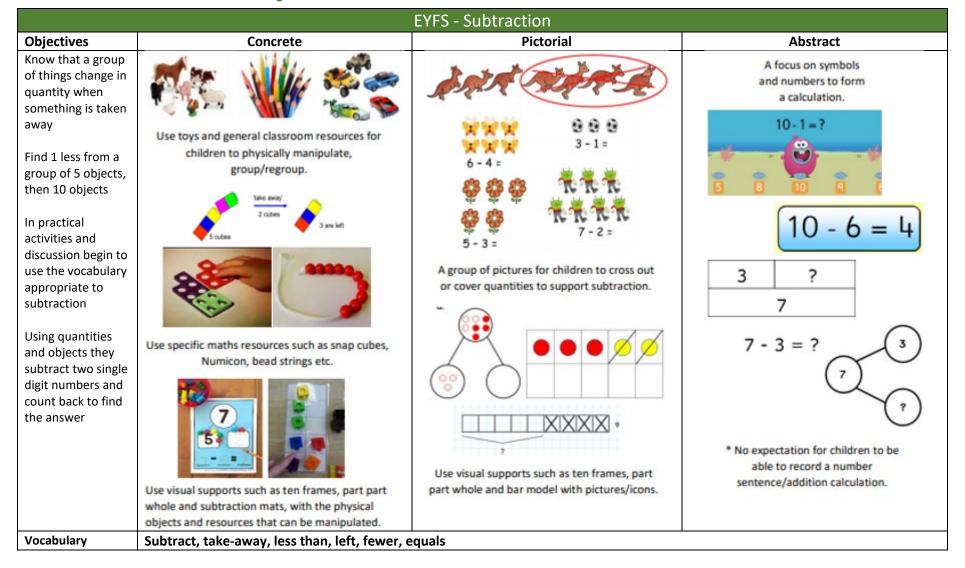
| | | Year 5/6 - Addition | | |
|------------------------|---|------------------------------------|---|---|
| Objectives | Concrete | Pictorial | Abstract | |
| Addition with Decimals | Ones Tenths Hundredths Ones Tenths Hundredths Ones Ones Ones Ones Ones Ones Ones Ones | 2.41 3.65 ? 3.65 2.41 - ? | 3.65 + 2.41 6.06 1 8 1,05 9 3.66 8 15,30 1 + 20,55 1 1 20,5 7 9 2 3 · 36 1 9 · 0 8 0 5 9 · 7 70 + 1 · 3 00 9 3 · 5 1 1 Insert zeros as place value holders | Place value counters or plain counters on a place value grid are the most effective concrete resources when adding numbers with more than 4 digits. At this stage, children should be encouraged to work in the abstract, using the column method to add larger numbers efficiently. |
| Vocabulary | addition add, more, and make, su decimal, decimal point | m, total, altogether, double, near | r double, half, halve, tens bound | dary, hundreds boundary, |



Subtraction



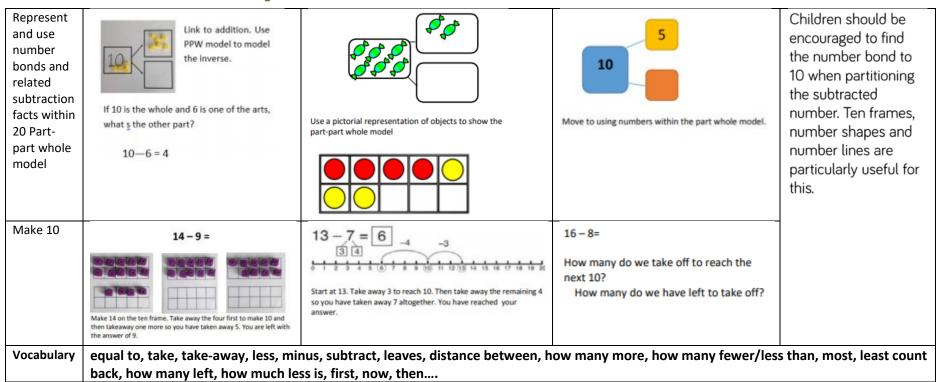
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| | Year 1 - Subtraction | | | | |
|--|---|---|---|--|--|
| Objective s | Concrete | Pictorial | Abstract | | |
| Subtract one-digit and two-digit numbers to 20, including 0. | | First Then Now | 7—4 = 3 16—9 = 7 | Part-whole models, bar models, ten frames and number shapes support partitioning. | |
| Taking away ones | Use physical objects to show how they can be taken away | Cross out drawn objects to show what has been taken away. 15 – 3 = 12 | | Ten frames, number tracks, single bar models and bead strings support | |
| Counting Back | Make the larger number in your subtraction. Move the beads along your bead string as you count backwards in ones. 13 - 4 Use counters and move them away from the group as you take then away counting backwards as you go. | 7 | Put 13 in your head, count back 4. What number are you at? (Use your fingers to help you) | reduction. Cubes and bar models with two bars can support finding the difference. | |
| Find the difference | Compare objects and amounts 7 'Seven is 3 more than four' 1 an 2 years older than my sister' 3 Fench 1 au 2 years older than my sister' 2 Fench 1 au 2 years older than my sister' | by the difference between 2 numbers. Count on to find the difference. Comparison Bar Models Liao à 13 years old. Her stater à 22 years old. Find the difference in age between them. | Hannah has12 sweets and her sister has 5. How many more does Hannah have than her sister? | When subtracting one-digit numbers that cross 10, it is important to highlight the importance of ten ones equalling one ten. | |







| | Year 2 - Subtraction | | | | |
|--|---|--|---|--|--|
| Objectives | Concrete | Pictorial | Abstract | | |
| Subtract a two-digit number and ones, a 2- digit number and tens, two two- digit numbers Partitioning to subtract without re- grouping: 'Friendly numbers' | Use Dienes to show how to partition the number when subtracting without regrouping. The calculation will be shown alongside the manipulative used Model Calculation | Children draw representations of Dienes and cross off. 43-21 = 22 65 28 | Recording subtraction in columns supports place value and prepares for formal written methods with larger numbers. Toward the end of the year, children move to more formal recording using partitioning method: e.g. 43-21=22 40 and 3 -20 and 1 20 and 2 | At this stage, encourage children to use the formal column method when calculating alongside straws, base 10 or place value counters. As numbers become larger, straws become less efficient. Children can also use a blank number line to count on to find the difference. Encourage them to | |
| Make a ten strategy | 34–28 Use a bead bar or bead strings to model | Use a number line to count on to next ten and then the rest. | 93—76 = 17 | jump to multiples of 10 to become more efficient. | |
| Vocabulary | | | , how many more, how many fewer/l | ess than, most, least | |
| | count back, how many left, how muc | h less isdifference, count on, strate | egy, partition, tens units | | |



| | | Year 3 - Subtraction | | |
|---|---|--|---|--|
| Objectives | Concrete | Pictorial | Abstract | |
| To subtract numbers with up to three-digits, using formal written methods of columnar subtraction Column subtraction (without exchanging) | Use base 10 or Numicon to model The calculation will be shown alongside the model chosen to see the connection Model Calculation | Children are to be secure with use of PV counters before moving onto abstract. Calculations 176 - 64 = 176 - 64 - 111 - 112 - 1273 - 273 - ? 435 - 273 - ? | Children should begin with the expanded form. Moving onto a more formal way as below. $47 - 24 = 23$ $-\frac{40+7}{20+3}$ $\frac{40+7}{20+3}$ $\frac{728-582=146}{582}$ $\frac{7}{146}$ | Base 10 and place value counters are the most effective manipulative when subtracting numbers with up to 3 digits. Ensure children write out their calculation alongside any concrete resources so they can see the links to the written column method. Plain counters on a place value grid can also be used to support learning. |

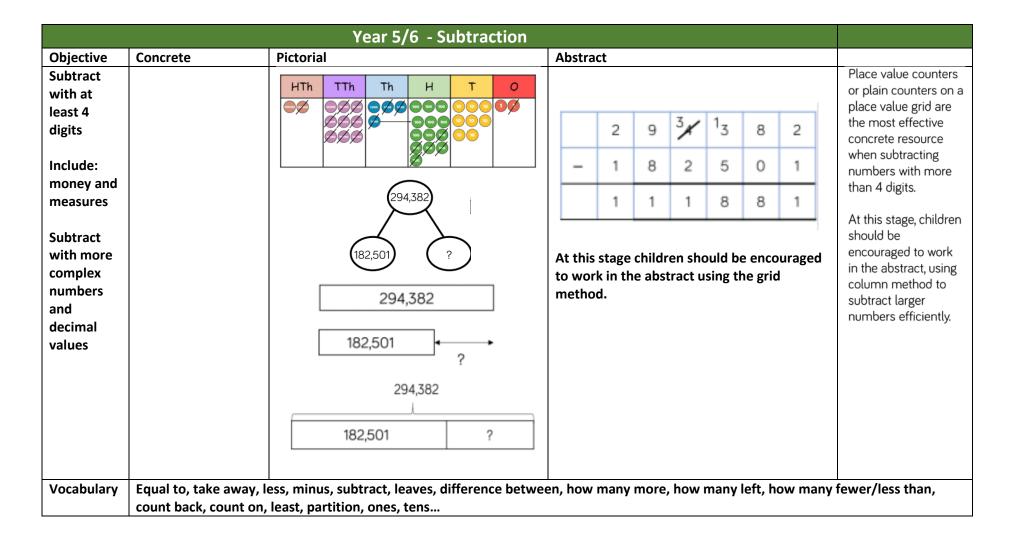


| | Concrete | Pictorial | Abstract | |
|---|--------------------------------------|--|--|-----------------------|
| Column Subtraction with exchanging | Hundreds Tens Ones 34 1 35 - 273 262 | Hundreds Tens Ones Ones Ones Ones Ones | 836-254-582 300-130-6 - 200-50-4 - 500-80-2 | |
| | | 435 – 273 = 262 | 728-582=146 "7 '2 8 5 8 2 1 4 6 | |
| Vocabulary | | nus, subtract, leaves, distance between, | | ess than, most, least |
| | count back, how many left, how n | nuch less isdifference, count on, strateg | gy, partition, tens units | |



| | Y | ear 4 - Subtraction | | |
|---|--|---|--|---|
| Objective | Concrete | Pictorial | Abstract | |
| Subtract numbers with up to 4 digits using the formal written method of column subtraction | Thousands Hundreds Tens Ones | Thousands Hundreds Tens Ones | ³ ¹ 357 - 2735 1622 | Base 10 and place value counters are the most effective manipulatives when subtracting numbers with up to 4 digits. Ensure children write out their calculation alongside any concrete resources so they can see the links to the written column method. |
| Decimal Subtraction (use context of money) | Children should be encouraged to use PV counters | When confident, children should find their own ways to record | Rule 1 line 'em up! Place Value 1 line 'em up! Place Value 1 line 'em up! Place Value 2 drop it down! No decora change the 16.75 - 7.95 Matters! Rule 3 fill 'em tn! Thank 1.40 - 15.10 Dec. alor 1.40 - 7.95 make 200.000 | Plain counters on a place value grid can also be used to support learning. |
| Vocabulary | Equal to, take away, less, minus, sub many fewer/less than, count back, co | tract, leaves, difference between, how ount on, least. | many more, how many left, how | |

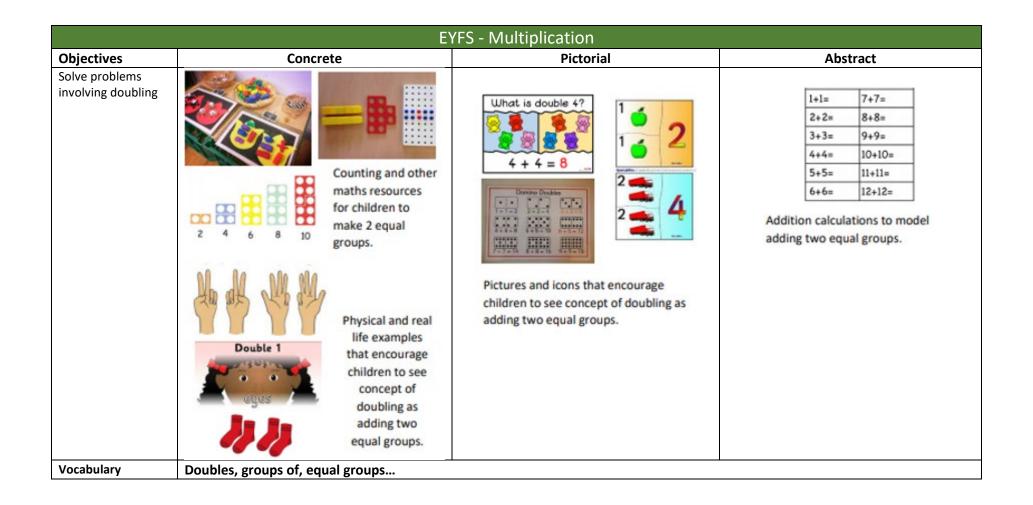






Multiplication







| Year 1 - Multiplication | | | | | |
|--------------------------|--|--|--|--|--|
| Objective | Concrete | Pictorial | Abstract | | |
| Doubling | Use practical activities using manipultives including cubes and Numicon to demonstrate doubling + = = = = = = = = = = = = = = = = = = | Draw pictures to show how to double quantities | Partition a number and then double each part before recombining it back together. 10 6 x2 x2 x2 20 12 | Children represent multiplication as repeated addition in many different ways. In Year 1, children use concrete and pictorial | |
| Counting in Multiples | | 20 21 20 21 30 20 21 20 21 30 | Count in multiples of a number aloud. Write sequences with multiples of numbers. 2, 4, 6, 8, 10 5, 10, 15, 20, 25, 30 | representations to solve problems. They are not expected to record multiplication formally. | |
| Repeated Addition | | 2 add 2 add 2 equals 6 5 + 5 + 5 = 15 Use pictorial number lines to solve problems | 5+5+5+5=20 $4 \times 5 = 20$ $5 \times 4 = 20$ | | |
| Understand Arrays | Use objects laid out in arrays to find the answers to 2 lots 5, 3 lots of 2 etc. | | 4 x 5 = 20 | | |
| Vocabulary | Groups of, lots of, times, array | , altogether, multiply | | | |

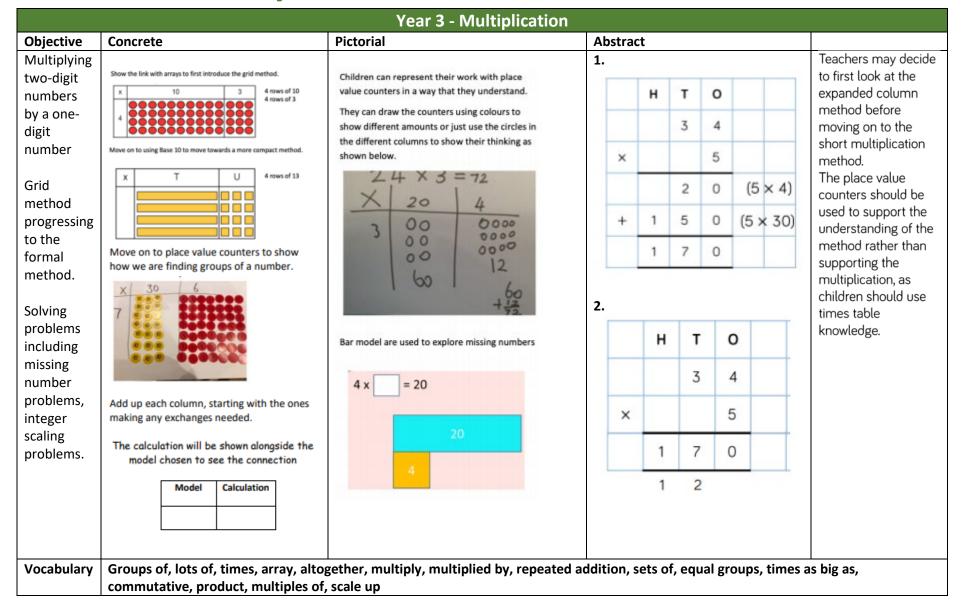


| | | Year 2 - Multiplication | i e | |
|--|---|---|--|--|
| Objective | Concrete | Pictorial | Abstract | |
| Counting in multiples of 2, 3, 4, 5, 10 from 0 (repeated addition) | Count the groups as children are skip counting, they may use their fingers and the bar | Number lines, counting sticks and bar models should be used to show | Count in multiples of a number aloud. Write sequences with multiples of numbers. 0, 2, 4, 6, 8, 10 0, 3, 6, 9, 12, 15 0, 5, 10, 15, 20, 25, 30 | In Year 2, children are introduced to the multiplication symbol. |
| Multiplication is commutative | method. Create arrays using counters and cubes and Numicon. Pupils should understand that an array can | Use representations of arrays to show different calculations and explore commutativity. | 4 × 3 = 12 = 3 × 4 12 = 4 × 3 Use an array to write multiplication sentences and reinforce repeated addition. | |
| | represent different equations and that, as multiplication is commutative, the order of the multiplication does not affect the answer. | 0000 | 5+5+5=15 3+3+3+3+3=15 5 x 3 = 15 3 x 5 = 15 | |

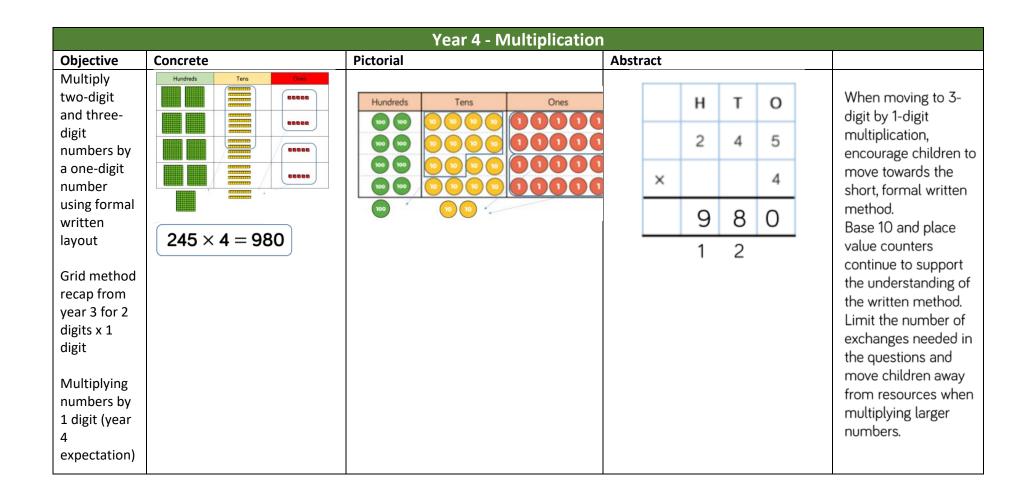


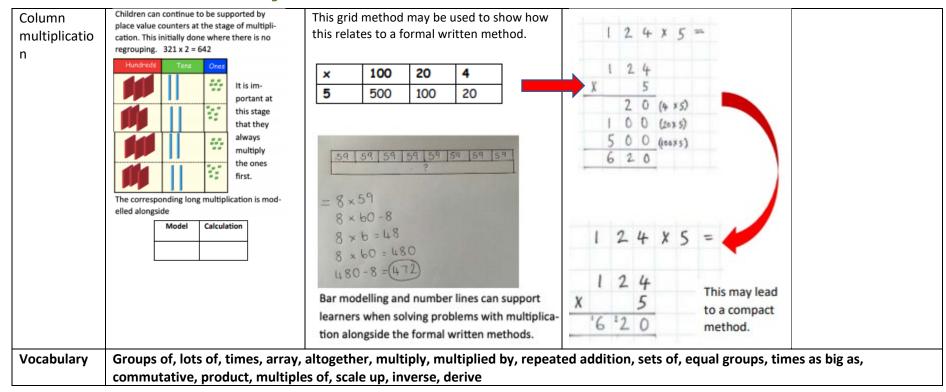
| Using the Inverse This should be taught alongside division, so pupils learn how they work alongside each other. | | 8 x = | 2 x 4 = 8 4 x 2 = 8 8 + 2 = 4 8 + 4 = 2 8 = 2 x 4 8 = 4 x 2 2 = 8 + 4 4 = 8 + 2 Show all 8 related fact family sentences. | |
|---|--|---|---|--------|
| Vocabulary | Groups of, lots of, times, array, a commutative. | lltogether, multiply, multiplied by, re | epeated addition, sets of, equal groups, times as b | ig as, |



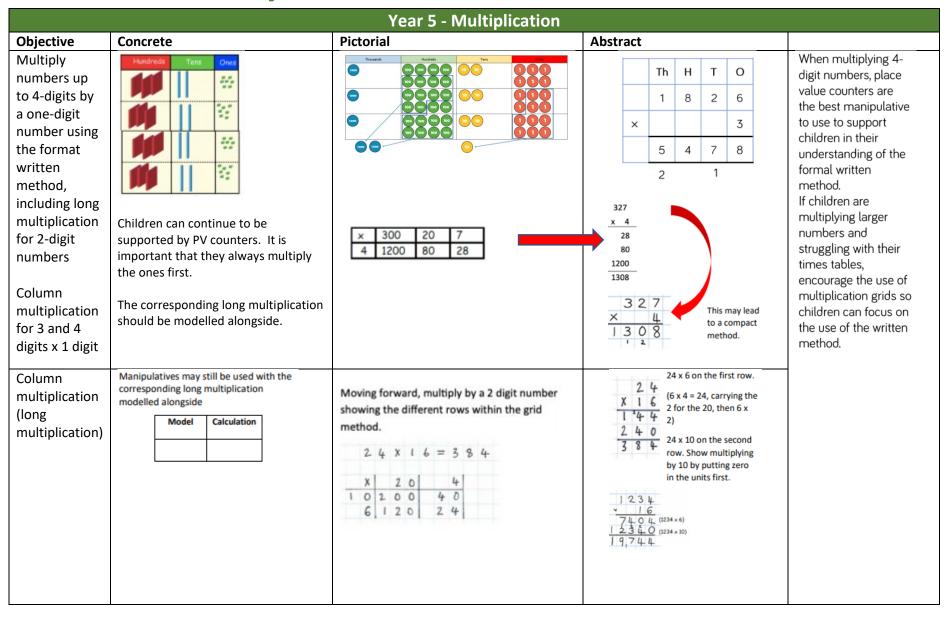






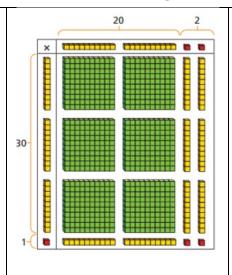






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| × | 20 | 2 |
|----|-----|----|
| 30 | 600 | 60 |
| 1 | 20 | 2 |



| × | 200 | 30 | 4 |
|----|-------|-----|-----|
| 30 | 6,000 | 900 | 120 |
| 2 | 400 | 60 | 8 |

| | Н | Т | 0 |
|---|---|---|---|
| | | 2 | 2 |
| × | | 3 | 1 |
| | | 2 | 2 |
| | 6 | 6 | 0 |
| | 6 | 8 | 2 |

| Th | Н | T | 0 |
|----|----|---|---|
| | 2 | 3 | 4 |
| × | | 3 | 2 |
| | 4 | 6 | 8 |
| 17 | 10 | 2 | 0 |
| 7 | 4 | 8 | 8 |

When multiplying a multi-digit number by 2-digits, use the area model to help children understand the size of the numbers they are using. This links to finding the area of a rectangle by finding the space covered by the Base 10. The grid method matches the area model as an initial written method before moving on to the formal written multiplication method.

Children can continue to use the area model when multiplying 3-digits by 2-digits. Place value counters become more efficient to use but Base 10 can be used to highlight the size of numbers.

Encourage children to move towards the formal written method, seeing the links with the grid method.





| | | Year 6 - Multiplica | tion | | | | | | |
|-----------------------------------|----------|--|--------|--|---|---|--------|---|--|
| Objective | Concrete | Pictorial | Abstra | ct | | | | | |
| Multiplying 4 digit numbers | | | ТТН | n Th | h | Н | Т | О | When multiplying 4- digits by 2-digits, children should be |
| by 2 digits | | | | 2 | 2 | 7 | 3 | 9 | confident in the written method. |
| | | | × | | | | 2 | 8 | If they are still struggling with times |
| | | | 2 | 1 5 | | 9 | 1 7 | 2 | tables, provide multiplication grids to |
| | | 5 4 7 8 | 0 | support when they are focusing on the use of the method. | | | | | |
| | | | 7 | 6 | 5 | 6 | 9 | 2 | Consider where |
| | | | | | | 1 | | | exchanged digits are placed and make sure this is consistent. |
| Vocabulary | | altogether, multiply, multiplied by, rep s of, scale up, inverse, derive, factor pa | | | | | - | - | _ |





| | | | | Ye | ar 6 ₋ | Mul | tiplic | catio | n _ | |
|---|---|--------|------|-----|-------------------|-----|--------|-------------------|--------|---|
| Objective | | | | | | | Abst | tract | | |
| Multiplying decimals – up to 2 decimal places with a single digit | | | | 2.5 | 13 | **= | × | 2.5 0.3 2 3 | 8 4 2 | = /0.32 |
| Multiplying with decimals | Please do not add zeros as this leads t place value grid and increasing number | | | | | | | | | he decimal point is also mathematically incorrect. Using the etc. |
| by: 10, 100, | | 10 000 | 1000 | 100 | 10 | 1 (| 1 10 | 1 100 | 1 1000 | Multiplying X 10 digits move LEFT 1 space |
| 1000 | | | | | 5 | 9 | _ | | | X 100 digits move LEFT 1 spaces X 1000 digits move LEFT 2 spaces X 1000 digits move LEFT 3 spaces |







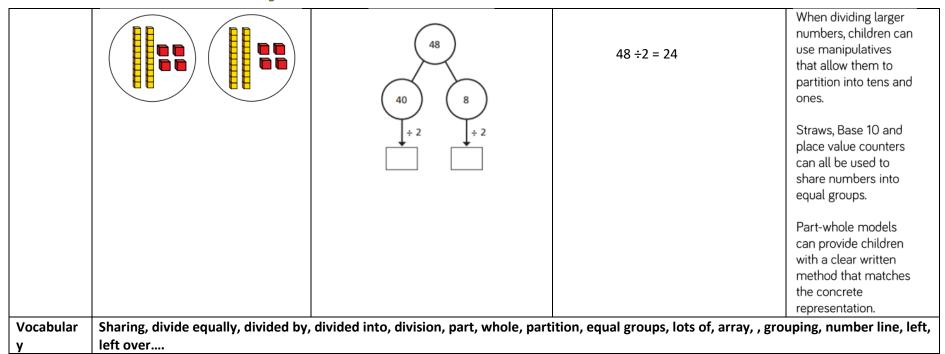
| | EYFS - Division | | | | | | |
|---|--|--|----------|--|--|--|--|
| Objectives | Concrete | Pictorial | Abstract | | | | |
| Solve problems including halving and sharing Halving a whole Halving a quantity of objects Sharing a quantity of objects equally | Children have the opportunity to physically cut objects, food or shapes in half. Counting and other maths resources for children to share into two equal groups. Use visual supports such as halving mats and part part whole, with the physical objects and resources that can be manipulated. Counting and other maths resources for children to explore sharing between 3 or | Pictures and icons that encourage children to see concept of halving in relation to subitising, addition and subtraction knowledge. i.e. Knowing 4 is made of 2 groups of 2, so half of 4 is 2. Bar model with pictures or icons to support understanding of finding 2 equal parts of a number, to further understand how two halves make a whole. Pictures for children to create and visualise 3 or more equal groups. | Abstract | | | | |
| Vocabulary | Sharing, equal groups, divide between, sha | re between, halve, half, whole, part | | | | | |



| problems using division (grouping) I have 10 cubes, can you share them equally in 2 groups? 8 + 2 = 4 Children use pictures or shapes to share quantities. \$\frac{9}{8} \times \frac{9}{2} \times \frac{1}{2} \times \frac | | | Year 1 - Division | | |
|---|--|--|---|----------|--|
| children use bar modelling to show and support understanding. Children use bar modelling to show and support understanding. Children use bar modelling to show and support understanding. | Objective | Concrete | Pictorial | Abstract | |
| multip | Solve one step problems using division | 10 I have 10 cubes, can you share them | Children use pictures or shapes to share quantities. 8 ÷ 2 = 4 20 ? ? ? ? ? Children use bar modelling to show and support understanding. | ADSTRACT | Children solve problems by sharing amounts into equal groups. In Year 1, children us concrete and pictor representations to solve problems. The are not expected to record division formally. Children solve problems by grouping and counting the number of groups. Grouping encourage children to count in multiples and links repeated subtraction on a number line. They can use concrete representations in fixed groups such a number shapes while helps to show the links between multiplication and division. |



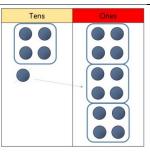
| | | Year 2 - Division | | |
|--------------------------------|------------------------|--|--|---|
| Objective | Concrete | Pictorial | Abstract | |
| Objective Division as grouping | Concrete (20 ÷ 5 = 4) | Pictorial Use a number line to show jumps in groups. Think of the bar as a whole. Split it into the number of groups you are dividing by and work out how many would be in each group. | Abstract 28 ÷ 7 = 4 Divide 28 into 7 groups. How many are in each group? | In Year 2, children are introduced to the division symbol. Children solve problems by grouping and counting the number of groups. Grouping encourages children to count in multiples and links to repeated subtraction on a number line. They can use concrete representations in fixed groups such as number shapes which helps to show the link between multiplication and division. |

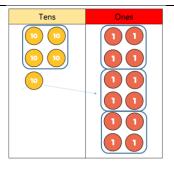




| | | Year 3 - Division | | |
|---|---|--|----------------|--|
| Objective | Concrete | Pictorial | Abstract | |
| Dividing 2-digit numbers by 1 digit With remainders | Use cubes, counters, objects or place value counters to aid understanding. 24 divided into groups of 6 = 4 96 + 3 = 32 Tens Tens Tens Ones 14 ÷ 3 = 4 r 2 Divide objects between groups and see how much is left over | 53 13 13 13 1 Continue with bar modelling 53 40 13 13 13 11 13 13 13 13 13 1 | 53 ÷ 4 = 13 r1 | When dividing numbers involving an exchange, children can use Base 10 and place value counters to exchange one ten for ten ones. Children should start with the equipment outside the place value grid before sharing the tens and ones equally between the rows. Flexible partitioning in a part-whole model supports this method. |







Draw an array and use lines to split the array

sentences

into groups to make multiplication and division

Find the inverse of multiplication and division sentences by creating eight linking number sentences.

28 + 7 = 4

 $4 \times 7 = 28$

28 + 4 = 7 28 = 7 x 4

28 = 4 x 7

 $4 = 28 \div 7$ $7 = 28 \div 4$

1 3 4 5 ¹2

numbers with remainders, children can use Base 10 and place value counters to exchange one ten for ten ones. Starting with the equipment outside the place value grid will highlight remainders, as they will be left outside the grid once the equal groups have been made. Flexible partitioning in a part-whole model supports this method.

When dividing

Vocabulary

share, share equally, one each, two each..., group, groups of, lots of, array, divide, divided by, divided into, division, grouping, number line, left, left over, product



| | | Year 4 - Division | | |
|---|--|---|--|---|
| Objective | Concrete | Pictorial | Abstract | |
| Short Division Dividing up to 3-digit numbers | 844 ÷ 4 = 211 H T O O O O O O O O O O O O O O O O O | They can also draw their own counters and group them through a more pictorial method. Encourage children to count in multiples to divide more efficiently. | 800 40 4 ÷ 4 | Children can continue to use place value counters to share 3-digit numbers into equal groups. Children should start with the equipment outside the place value grid before sharing the hundreds, tens and ones equally between the rows. This method can also help to highlight remainders. Flexible partitioning in a part-whole model supports this method. |
| Vocabulary | Share, equally, groups of, lots of, array | , divided by/into, division, grouping, division, | on facts, inverse, derive, formal method | |



| | Year 5 - Division | | | | | | | | |
|---|-------------------|---|---|---|--|--|--|--|--|
| Objective | Concrete | Pictorial | Abstract | | | | | | |
| Short Division Dividing 3-digit numbers by 1 digit | | They can also draw their own counters and group them through a more pictorial method. Encourage children to count in multiples to divide more efficiently. | 2 1 4 4 8 5 ¹ 6 | Children can continue to use grouping to support their understanding of short division when dividing a 3-digit number by a 1-digit number. Place value counters or plain counters can be used on a place value grid to support this understanding. Children can also draw their own counters and group them through a more pictorial method. | | | | | |
| Dividing 4 digits by 1 digit (grouping) | | Th H T O | $\begin{array}{c ccccccccccccccccccccccccccccccccccc$ | Children should be encouraged to move away from the concrete and pictorial when dividing numbers with multiple exchanges. | | | | | |



| Dividing with decimals | 1 4 6 16 21 3 5 5 1 1 . 0 Move into decimals to divide more accurately. |
|---|---|
| Dividing with decimals by 10, 100, 1000 | Moving the decimal point is mathematically incorrect, as with multiplication. Using the place value grid and decreasing numbers by 1 space to the right for ÷ 10, 2 spaces for ÷ 100 etc. |
| Vocabulary | Share, equally, groups of, lots of, array, divided by/into, division, grouping, division facts, inverse, derive, formal method |



| | Year 6 – Division | | | | | | |
|----------------|---|--|--|--|--|--|--|
| Objective | Abstract | | | | | | |
| Short Division | At this point concrete and pictorial methods are less effective. Children can write our multiples to support their calculations with larger remainders. | | | | | | |
| | $ \begin{array}{c ccccccccccccccccccccccccccccccccccc$ | | | | | | |
| | | | | | | | |



| Objective | Abstract | | | | | | |
|---------------|--|----------|---------------------------------|-----------------------|----------------------------|------------------------|--|
| Long Division | Dividing multi-digits by two digits: Children can also use long multip | olicatio | on wl | nen d | ividi | ng by 2 o | ligits. |
| | $ \begin{array}{c ccccccccccccccccccccccccccccccccccc$ | | 4 | 32 | · | 12 : | = 36 |
| | $7,335 \div 15 = 489$ | 15 7 | 0 4 7 3 6 0 1 3 1 2 | 3 0 3 0 3 | 9 5 0 5 0 5 | (×400 (×80) (×9) | $1 \times 15 = 15$ $2 \times 15 = 30$ $3 \times 15 = 45$ $4 \times 15 = 60$ $5 \times 15 = 75$ $10 \times 15 = 150$ |

Long Division with remainders

When a remainder is left at the end pf a calculation, children can either leave it as a remainder or convert it into a fraction.

$$372 \div 15 = 24 \text{ r} 12$$

| | | | 2 | 4 | r | 1 | 2 |
|---|---|---|---|---|---|---|---|
| 1 | 5 | 3 | 7 | 2 | | | |
| | - | 3 | 0 | 0 | | | |
| | | | 7 | 2 | | | |
| | - | | 6 | 0 | | | |
| | | | 1 | 2 | | | |

$$372 \div 15 = 24 \frac{4}{5}$$



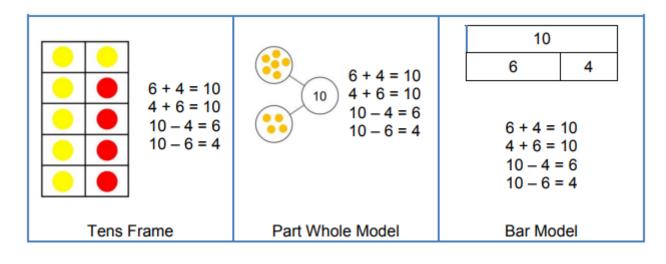
| Fract | tions |
|---|--|
| Adding and Subtracting Fractions | Dividing by a Fraction |
| THE DENOMINATORS MUST BE THE SAME Write out a times table sequence for each fraction. Look for ones with the same denominator Use these to change the original question Calculate $1\frac{2}{5} - \frac{6}{7}$ $1\frac{2}{5}$ to an improper fraction $\frac{7}{5} = \frac{14}{10} = \frac{21}{15} = \frac{28}{20} = \frac{35}{25} = \frac{42}{30} = \frac{49}{35}$ $\frac{6}{7} = \frac{12}{14} = \frac{18}{21} = \frac{24}{28} = \frac{30}{35}$ Hence $1\frac{2}{5} - \frac{6}{7}$ becomes $\frac{49}{35} - \frac{30}{35} = \frac{19}{35}$ | THE DENOMINATORS MUST BE THE SAME Write out a times table sequence for each fraction. Look for ones with the same denominator Use these to change the original question Calculate $\frac{3}{4} \div \frac{4}{5}$ $\frac{3}{4} = \frac{6}{8} = \frac{9}{12} = \frac{12}{16} = \frac{15}{20}$ $\frac{4}{5} = \frac{8}{10} = \frac{12}{15} = \frac{16}{20}$ Hence $\frac{3}{4} \div \frac{4}{5}$ becomes $\frac{15}{20} \div \frac{16}{20} = \frac{15}{16}$ get the same denominator Write the top numbers as a fraction. |
| Multiplying Fractions | |
| If you have a mixed fraction change it to an improper fraction first Then multiply the numerators (the top numbers) Multiply the denominators (the bottom numbers) (a) $1\frac{2}{5} \times 2\frac{1}{3}$ becomes $\frac{7}{5} \times \frac{7}{3} = \frac{49}{15} = 3\frac{4}{15}$ | |



| BIDMAS | | | | | | | |
|--|---|--|-------------------------|--|--|--|--|
| Objective Concrete Pictorial Abstract | | | | | | | |
| To follow the order of operations | | | | | | | |
| | 1 brackets (solve them first or add them in) 2.indices 3. division 4. multiplication 5. addition 6. subtraction e.g. 6÷2+7 would become: (6÷2) + 7 5 + 3 - 2 would become (5 + 3) - 2 6 + 5 X 7 would become 6 + (5 x 7) 20 - 4 x 3 would become 20 - (4 x 3) | | | | | | |
| STATISTICS | | | | | | | |
| Objective | | | | | | | |
| Creating points on a graph Plotting co-ordinates | ALWAYS use a small cross to plot points and co- | | ere the lines intercept | | | | |



Glossary



Heath Mount School

Array – An ordered collection of counters, cubes or other item in rows and columns.

Commutative – Numbers can be multiplied in any order.

Dividend – In division, the number that is divided.

Divisor – In division, the number by which another is divided.

Exchange – Change a number or expression for another of an equal value.

Factor – A number that multiplies with another to make a product.

Multiplicand – In multiplication, a number to be multiplied by another.

Partitioning – Splitting a number into its component parts.

Product – The result of multiplying one number by another.

Quotient - The result of a division

Remainder – The amount left over after a division when the divisor is not a factor of the dividend

Scaling - Enlarging or reducing a number by a given amount, called the scale factor

Addend - A number to be added to another.

Aggregation - combining two or more quantities or measures to find a total.

Augmentation - increasing a quantity or measure by another quantity.

Commutative - numbers can be added in any order.

Complement – in addition, a number and its complement make a total e.g. 300 is the complement to 700 to make 1,000

Difference – the numerical difference between two numbers is found by comparing the quantity in each group.

Exchange – Change a number or expression for another of an equal value.

Minuend – A quantity or number from which another is subtracted.

Partitioning – Splitting a number into its component parts

Reduction - Subtraction as take away.

Subitise – Instantly recognise the number of objects in a small group without needing to count.

Subtrahend - A number to be subtracted from another

Sum - The result of an addition.

Total - The aggregate or the sum found by addition.

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Updated National Curriculum: 21 January 2021: Added information about guidance and resources from the National Centre for Excellence in the Teaching of Mathematics.